

Secure Shapley Value for Cross-Silo Federated Learning

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Overview

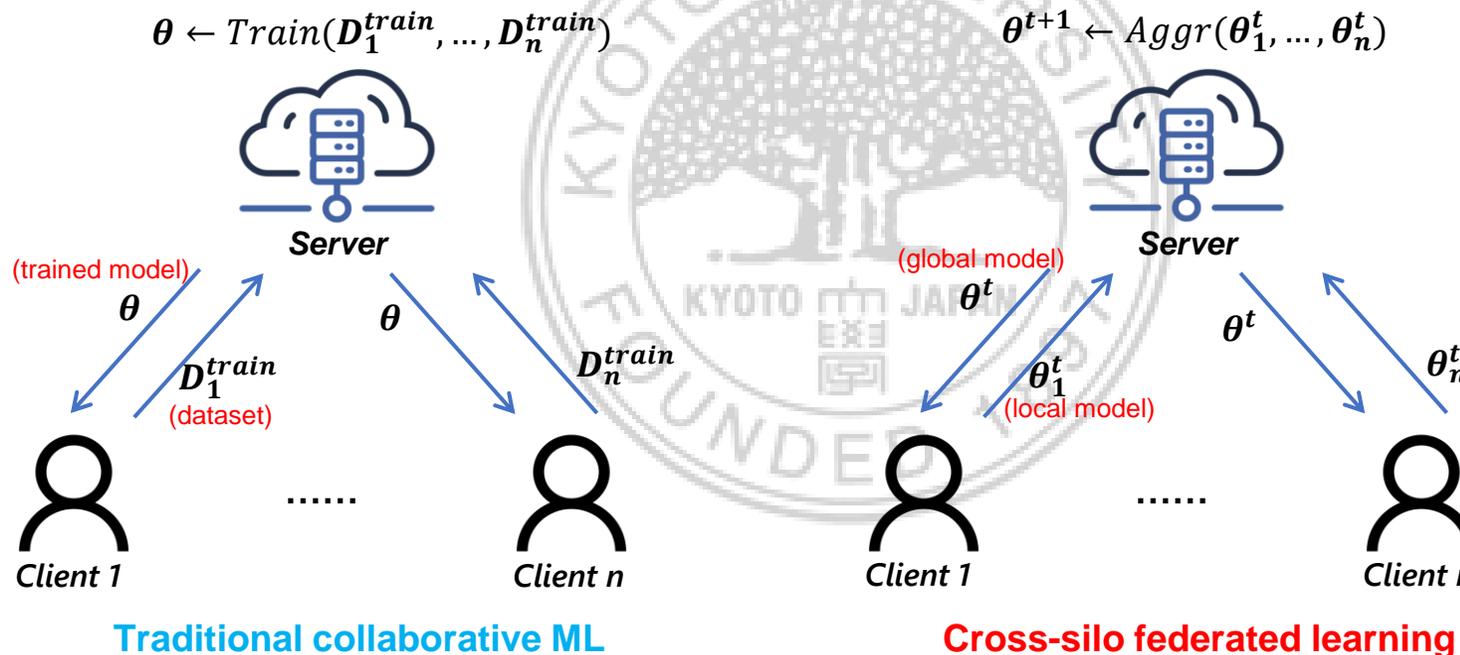
- **Background:**
 - 1. Cross-silo FL solves the data silo problem.
 - 2. Contribution evaluation is important to cross-silo FL.
- **Motivation:**
 - 1. SV is a celebrated contribution metric widely adopted in collaborative ML
 - 2. Existing FL systems cannot support secure SV calculation
- **Challenges:**
 - 1. Need to additionally protect test data than secure federated training
 - 2. NP-hard to compute SVs
 - Existing estimation methods work poorly in cross-silo FL because no. of clients is small
- **Our proposal:** to facilitate secure SV calculation for secure contribution evaluation

Data Silo Problem

- Data are decentralized across organizations (e.g., banks and hospitals) as silos and **hardly shared** due to some reasons.
 - E.g., privacy concerns, strict data regulations, data as assets
- Data silos prevent organizations from obtaining accurate machine learning (ML) models to improve products and services.
 - Large amounts of training data required for modern neural networks.

Cross-silo federated learning

- Traditional collaborative ML: **uploading local datasets** for training.
- Cross-silo FL: **uploading local models** for training



Contribution evaluation

- Clients' **contributions might be diverse.**
 - Data silos vary in size, quality, and distribution
 - Different participation levels (e.g., number of training rounds)
 - Free-riding or malicious clients exist
- Shapley value (SV) [CTG53] for **contribution evaluation**
 - Widely adopted in collaborative ML
 - E.g., model rewards [ICML20], monetary rewards [NIPS22], client selection [AAAI21]
 - Measures the expected model accuracy improvement by each client
 - Privacy risk: SV calculation **requires access to local models and test data.**

[CTG53] LS Shapley. "A value for n -person games." *Contributions to the Theory of Games*, pages 307-317, 1953.

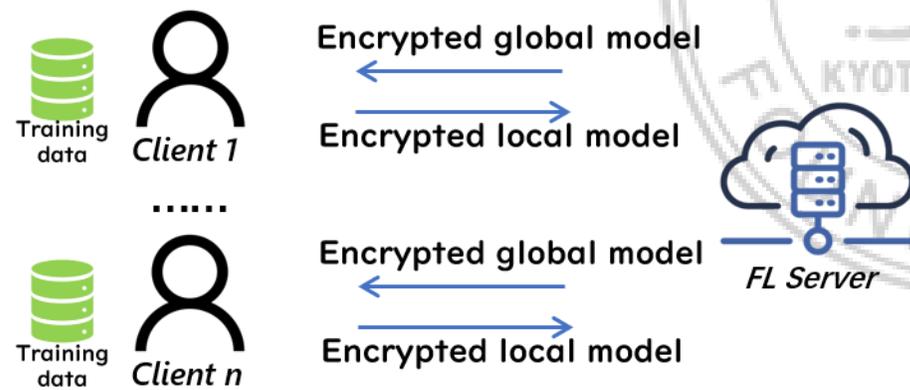
[ICML20] Sim et al. "Collaborative Machine Learning with Incentive-Aware Model Rewards." *ICML 2020*.

[NIPS22] Nguyen et al., "Trade-off between payoff and model rewards in Shapley-fair collaborative machine learning." *NIPS 2022*.

[AAAI21] Nagalapati et al. "Game of gradients: Mitigating irrelevant clients in federated learning." *AAAI 2021*.

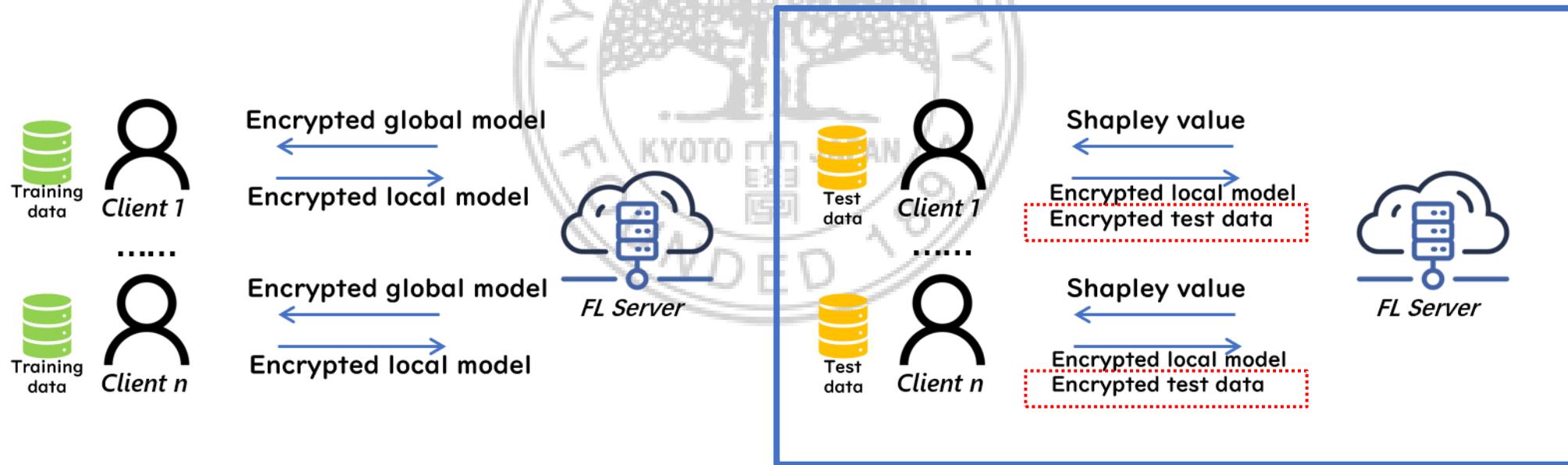
Secure federated training

- [TIFS18]: using **homomorphic encryption (HE)** to make federated training secure.
 - HE: supports arithmetic operations on encrypted data.
 - **Encrypted local models** are uploaded for model aggregation.



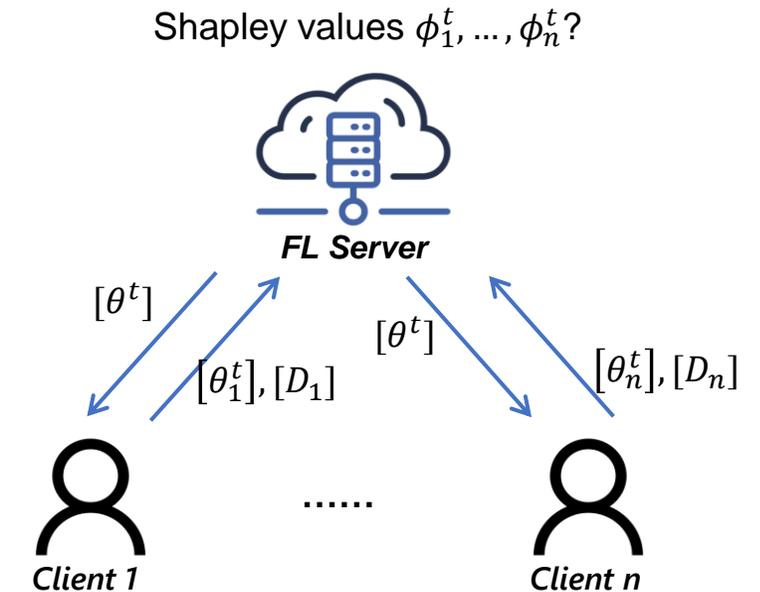
Secure Shapley value

- For SV calculation, no secure systems proposed
- Our proposal: **secure SV calculation** for secure contribution evaluation
 - Follows [TIFS18] to train models using FL + HE.
 - More challenging than [TIFS18]: **test data should be protected** additionally.



Problem formulation

- Assumptions:
 - All the parties are **honest-but-curious**.
 - Test data** D_i and **model parameters** θ_i^t are **private**.
 - The model structure is public.
 - Focus on **neural networks** and **classification** tasks.
- Goal: the server can compute SVs $\phi_1^t, \dots, \phi_n^t$, while **no party can learn other parties' private information**.
 - $\phi_i^t = \mathbb{E}_{S \subseteq \{1, \dots, n\} \setminus \{i\}} [U(\theta_{S \cup \{i\}}) - U(\theta_S)]$
 - $U(\theta_S)$: accuracy of model θ_S
 - NP-hard to compute: need to test $O(2^n)$ models



Protocol overview

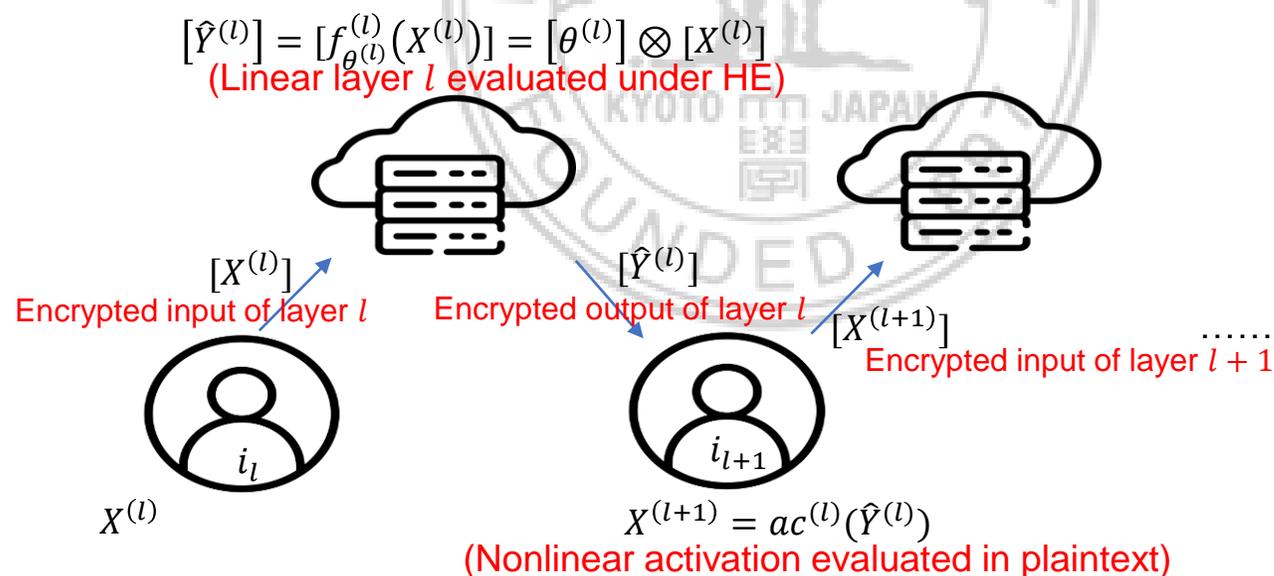
- Baseline: HESV (one-server)
 - **Secure model testing:** HE for both models and data [IJCAI18]
 - **Secure MatMult:** Matrix Squaring (extension of SOTA [SIGSAC18])
 - SOTA [SIGSAC18] cannot support large-sized neural networks
 - Problem: **multiplications between ciphertexts are inefficient**
- Advanced: SecSV (two-server)
 - **Secure model testing:** HE for models, secret sharing for data
 - **Secure MatMult:** Matrix Reducing (more efficient than Matrix Squaring)
 - **SV estimation:** SampleSkip

[IJCAI18] Gelu-net: A globally encrypted, locally unencrypted deep neural network for privacy-preserved learning

[SIGSAC18] Secure outsourced matrix computation and application to neural networks.

HESV

- Secure model testing scheme: HE for both models and data [IJCAI18]
 - Linear layers (i.e., matrix multiplications) evaluated under HE
 - Nonlinear activations (e.g., softmax) evaluated in plaintext
 - HE cannot support nonlinear operations
- Problem: **multiplications between ciphertexts are inefficient**



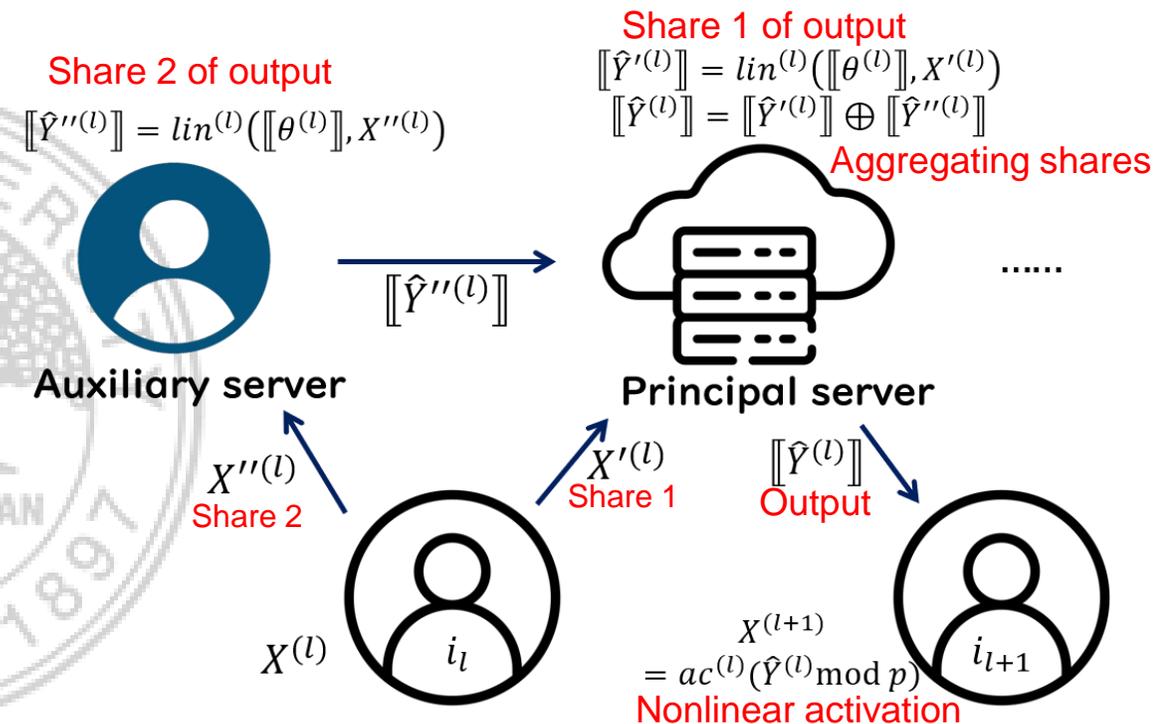
Hybrid model testing scheme for SecSV

- Secure model testing scheme: **HE for models, secret sharing for data**

- High efficiency because **multiplications between ciphertexts are avoided**

- Assumption: two **non-colluding** servers

- Example: two large companies who care their business reputation.
- Each evaluates one share of data



Matrix Reducing

- Matrix Reducing: much more efficient than Matrix Squaring (extension of SOTA [SIGSAC18])
 - Homomorphic rotation (HRot) is computationally-expensive
 - Matrix Squaring: many homomorphic rotations needed
 - Matrix Reducing: no homomorphic rotations needed

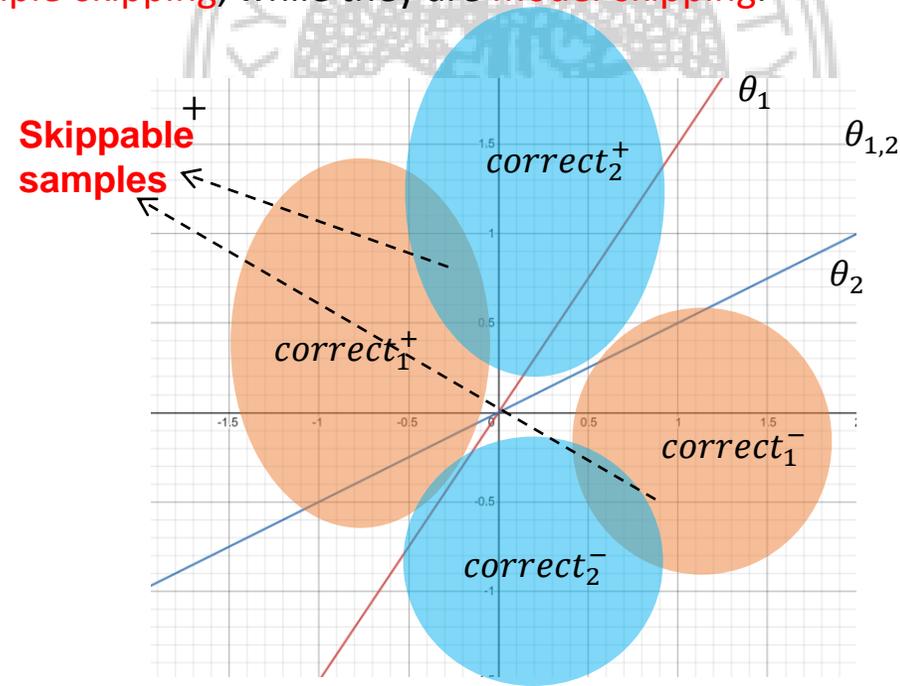
	Matrix Squaring	Matrix Reducing
Batch size m	$m \leq \min\{d_{in}, \lfloor \sqrt{N} \rfloor\}$	$m \leq \lfloor N/d_{out} \rfloor$
Complexity of HMult	$O(d_{in} \cdot d_{out} / \sqrt{N})$	$O(d_{in})$
Complexity of HRot	$O(d_{in} / (d_{out} \bmod \sqrt{N}))$	0



SampleSkip

[ICML19] Towards efficient data valuation based on the shapley value.
 [NIPS17] A unified approach to interpreting model predictions.

- Insight: a sample correctly predicted by two models also be correctly predicted by their aggregated model.
 - Proven to be true for linear models.
 - Almost to be true for nonlinear models.
 - SampleSkip can be combined with other SV estimation methods
 - E.g., Permutation Sampling (PS) [ICML19], Group Testing (GT) [ICML19], Kernel SHAP (KS) [NIPS17]
 - SampleSkip is **sample-skipping**, while they are **model-skipping**.



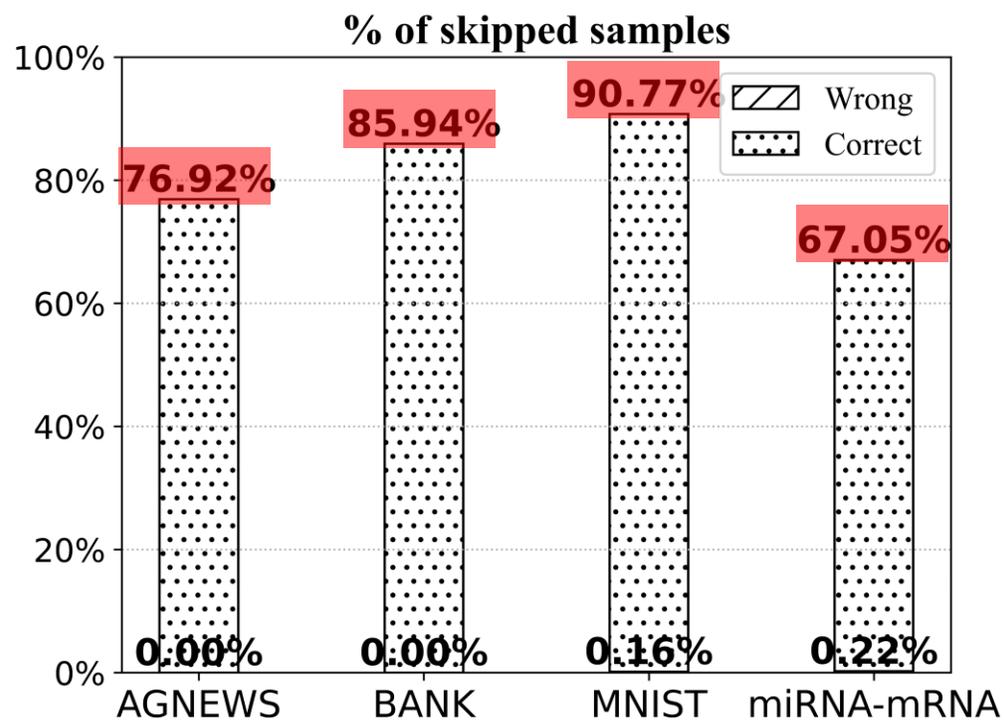
Experiments

- RQ1: How efficient are SecSV and HESV for secure SV calculation?
- A1: SecSV with (without) SampleSkip speeds up HESV by **7.2-36.6** (**4.2-21.4**) times.

Dataset (model)	Method	Speedup w.r.t. HESV		Error ($\times 10^{-2}$)	
		SampleSkip off/on	SampleSkip off/on	SampleSkip off/on	SampleSkip off/on
AGNEWS (LOGI)	SecSV	4.2 ×	7.2 ×	0.10	0.10
	SecSV+PS	4.2 ×	7.2 ×	2.00	2.01
	SecSV+GT	3.5 ×	5.5 ×	3.41	3.39
	SecSV+KS	5.3 ×	8.6 ×	17.63	17.63
BANK (LOGI)	SecSV	21.4 ×	36.6 ×	0.09	0.09
	SecSV+PS	21.3 ×	36.5 ×	1.25	1.24
	SecSV+GT	8.9 ×	10.8 ×	3.40	3.40
	SecSV+KS	27.0 ×	44.1 ×	7.67	7.66
MNIST (CNN)	SecSV	7.0 ×	25.8 ×	0.09	0.64
	SecSV+PS	7.0 ×	25.8 ×	2.69	2.88
	SecSV+GT	6.9 ×	25.3 ×	3.58	3.80
	SecSV+KS	9.0 ×	27.2 ×	15.46	15.65
miRNA-mRNA (RNN)	SecSV	5.3 ×	11.8 ×	1.70	1.82
	SecSV+PS	5.3 ×	11.8 ×	3.03	3.25
	SecSV+GT	5.3 ×	11.7 ×	3.67	3.50
	SecSV+KS	7.0 ×	14.0 ×	20.77	20.49

Experiments

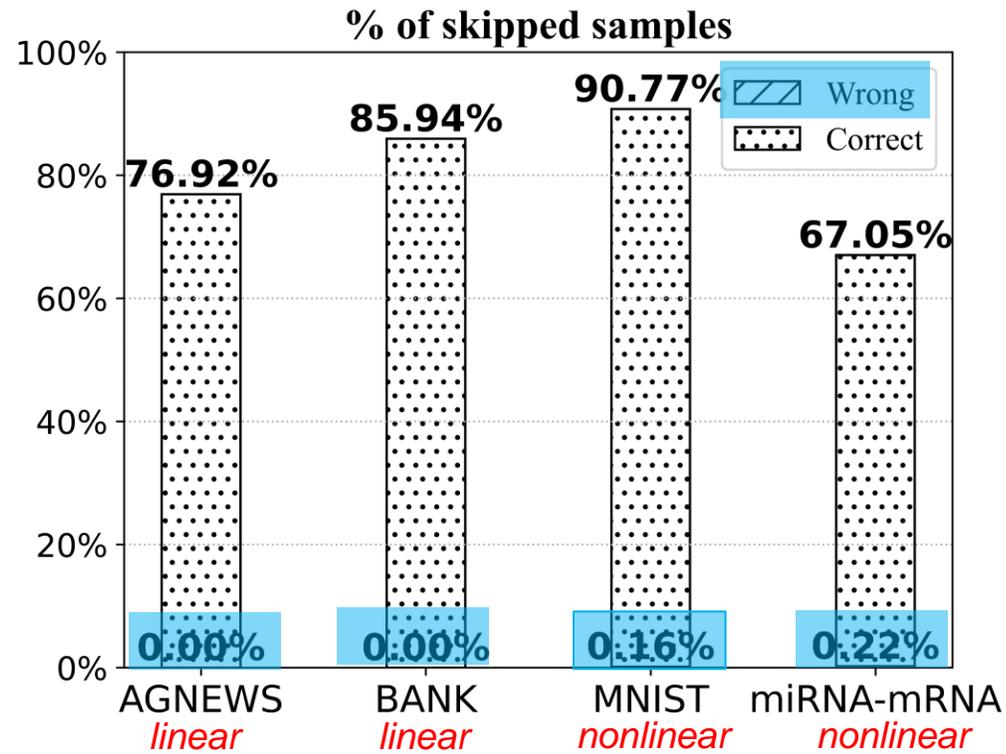
- Q2: How much can SampleSkip accelerate SV calculation?
- A2: **67.05-90.77%** of test samples skipped.



Dataset (model)	Method	Speedup w.r.t. HESV		Error ($\times 10^{-2}$)	
		SampleSkip off/on	SampleSkip on	SampleSkip off/on	SampleSkip on
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Experiments

- Q3: How many test samples are wrongly skipped by SampleSkip?
- A3: **0.00% for linear models**; **0.16%-0.22% for nonlinear models**.



Experiments

- Q4: How efficient are Matrix Reducing for secure MatMult?
- A4: Matrix Reducing speeds up Matrix Squaring by **1.69-11.39** times.

Table 4: Speedup of Matrix Reducing w.r.t. Matrix Squaring in the time per sample spent on HE computations for evaluating AB . The shape of matrix A is varied. "Full" means both A and B are encrypted, whilst "Half" means only A is encrypted.

Shape	4×300	2×48	64×256	10×64	32×64	32×32	2×32
Full	1.69×	6.10×	1.99×	2.30×	2.66×	2.85×	2.45×
Half	3.24×	11.39×	3.92×	4.49×	5.23×	3.71×	2.87×

Conclusion

- Contribution: the first study on secure SV calculation in collaborative ML.
- Limitations:
 - 1. SecSV requires noncolluding servers.
 - 2. Protocols tailored for horizontal FL.
 - Clients have different samples with the same attributes.
 - 3. Only neural networks and classification tasks considered.
- Future work:
 - 1. More efficient one-server protocol.
 - 2. Secure SV calculation for vertical FL.
 - Clients have different attributes of the same samples.
 - 3. Consider more types of models and ML tasks.

Thank you for listening.
Welcome to visit our poster in range 71-75!